Programme	B. Sc. Mathematics Honours						
Course Code	MAT1MN102						
Course Title	DIFFERENTIAL CALCULUS						
Type of Course	MINOR						
Semester	Ι						
Academic Level	100-199						
Course Details	Credit	Lecture/Tutorial	Practicum	Total Hours			
		per week	per week				
	4	4	-	60			
Pre-requisites	Set theory along with	an understanding of the r	eal number sy	vstem.			
Course Summary	This course provides	a foundational understand	ling of calculu	is concepts: From			
	the beginning section	s students learn about lim	its (including	one-sided limits			
	and limits at infinity),	, continuity (definitions a	nd properties),	, and the			
	intermediate value the	eorem. Modules II and III	cover differen	ntiation techniques,			
	including tangent line	es, the definition of deriva	tives, rules of	differentiation			
	(product, quotient, ch	ain), implicit differentiati	on, and advan	ced topics like			
	L'Hopital's Rule for indeterminate forms. Module IV focuses on the analysis of						
	functions, discussing concepts such as increasing/decreasing functions,						
	concavity, inflection points, and techniques for identifying relative extrema and						
	graphing polynomials	5.					

Course Outcomes (CO):

CO	CO Statement	Cognitive	Knowledge	Evaluation Tools used		
		Level*	Category#			
CO1	Analyse limit, continuity and differentiability of a function	An	С	Internal Exam/Assignment/ Seminar/ Viva / End Sem Exam		
CO2	Apply rules and techniques of differentiation to solve problems, also find limit in indeterminate forms involving transcendental functions	Ар	С	Internal Exam/Assignment/ Seminar/ Viva / End Sem Exam		
CO3	Draw a polynomial function by analysing monotonicity, concavity and point of inflection using derivatives test	An	С	Internal Exam/Assignment/ Seminar/ Viva / End Sem Exam		
* - Remember (R), Understand (U), Apply (Ap), Analyse (An), Evaluate (E), Create (C) # - Factual Knowledge(F) Conceptual Knowledge (C) Procedural Knowledge (P) Metacognitive Knowledge (M)						

Detailed Syllabus:

Text book		Anton, Howard, Irl C. Bivens, and Stephen Davis. <i>Calculus: early</i>					
Module Unit		Content	Hrs 60	External Marks (70)			
		Fundamentals of Limits and Continuity					
	1	Section 1.1: Limits (An Intuitive Approach) - Limits, One-Sided Limits, The Relationship Between One-					
		Sided and Two Sided Limits					
	2	Section 1.2: Computing Limits -					
		Some Basic Limits, Limits of Polynomials and Rational					
		Functions as $x \rightarrow a$					
	3	Section 1.2: Computing Limits -					
		Limits involving Radicals, Limits of Piecewise-Defined					
		Functions					
I	4	Section 1.3: Limits at Infinity; End Behaviour of a Function	14				
		Limits of Rational Functions as $x \to \pm \infty$ - A Quick Method	14				
		for Finding Limits of Rational Functions as $x \to +\infty$ or $x \to +\infty$					
		-∞	-	Min.15			
	5	Section 1.5: Continuity -					
		Definition of Continuity, Continuity on an interval, Some					
		Properties of Continuous Functions,	-				
	6	Section 1.5: Continuity -					
		Continuity of Polynomials and Rational Functions,					
		Theorem					
		Differentiation					
	7	Section 2.1: Tangent Lines and Rates of Change -					
		Tangent lines, Slopes and Rate of Change					
	8	Section 2.2: The Derivative Function -					
		Definition of the Derivative Function-Topics up to and					
		including Example 2.					
	9	Section 2.3: Introduction to Techniques of Differentiation -		_			
		Derivative of a Constant, Derivative of Power Functions,	14	Min.15			
II		Derivative of a Constant Times a Function, Derivatives of					
	10	Sums and Differences, Higher Derivatives					
	10	Section 2.4: The Product and Quotient Rules -					
		of Differentiation Dules					
	11	Section 2.5: Derivatives of Trigonometric Functions					
	11	Example 4 and Example 5 are optional					
	12	Section 2.6. The Chain Rule					
		Derivatives of Compositions. An Alternate Version of the					
		Chain Rule, Generalized Derivative Formulas					
		Differentiation contd :					
	10	Section 3.1: Implicit Differentiation -	10				
	13	Implicit Differentiation (sub section)	10				

III	 Section 3.2: Derivatives of Logarithmic Functions - Derivative of Logarithmic Functions (sub section) 14 Logarithmic Differentiation, Derivatives of Real Powers of x. Section 3.3: Derivatives of Exponential and Inverse 15 Trigonometric Functions - Derivatives of Exponential Functions Section 3.3: Derivatives of Exponential and Inverse 16 Trigonometric Functions - Derivatives of the Inverse Trigonometric Functions Section 3.6: L'Hopital's Rule: Indeterminate Forms - 			Min.15
	17	Inderminate Forms of Type 0/0, Indeterminate Forms of Type $^{\infty}/_{\infty}$ Section 3.6: L'Hopital's Rule; Indeterminate Forms -		
	18	Inderminate Forms of Type $0 \cdot \infty$, Indeterminate Forms of Type $\infty - \infty$		
		Applications of Differentiation		
	19	Section 4.1: Analysis of Functions I: Increase, Decrease, and Concavity - Increasing and Decreasing Functions		
TN 7	20	Section 4.1: Analysis of Functions I: Increase, Decrease, and Concavity - Concavity, Inflection Points		Min 15
IV	21 Section 4.2: Analysis of Functions II: Relative Extrema; Graphing Polynomials - Relative Maxima and Minima, First Derivative Test, Second Derivative Test		10	
	22			
		Module V (Open Ended)		
		Infinite Limits Differentiability, Relation between Derivative and Continuity		
V		Parametric Equations, Parametric Curves Inverse Trigonometric Functions and their derivatives Taylor series expansion of functions Maclaurin series of sin x, cos x, tan x, log(1+x), log(1-x) etc	12	
		Binomial expansion of $\frac{1}{(1+x)}$, $\frac{1}{(1-x)}$, $\frac{1}{\sqrt{1+x}}$, $\frac{1}{\sqrt{1-x}}$ etc Different coordinate systems: - Cartesian, Spherical, and Cylindrical coordinates		
Refere	nces		II	
	1	Calculus and Analytic Geometry, 9 th Edition, George B. The L. Finney, Pearson Publications.	omas Jr	and Ross

2	Calculus, Soo T. Tan, Brooks/Cole Cengage Learning (2010) ISBN-13: 978-0-
	534-46579-7.
3	Marsden, Jerrold, and Alan Weinstein. <i>Calculus I</i> . Springer Science &
	Business Media, 1985.
4	Stein, Sherman K. <i>Calculus in the first three dimensions</i> . Courier Dover
	Publications, 2016.

Note: 1) Optional topics are exempted for end semester examination. 2) Proofs of all the results are also exempted for the end semester exam. (3) 70 external marks are distributed over the first four modules subjected to a minimum of 15 marks from each module

Mapping of COs with PSOs and POs :

	PSO5	PSO6	PO1	PO2	PO3	PO4	PO5	PO6	PO7
CO 1	3	1	3	1	2	1	3	1	2
CO 2	3	1	3	1	2	1	3	1	2
CO 3	2	1	3	2	3	2	3	1	2

Correlation Levels:

Level	Correlation	
-	Nil	
1	Slightly / Low	
2	Moderate / Medium	
3	Substantial / High	

Assessment Rubrics:

- Assignment/ Seminar
- Internal Exam
- Viva
- Final Exam (70%)

Mapping of COs to Assessment Rubrics:

	Internal Exam	Assignment	Seminar	Viva	End Semester Examinations
CO 1	~	\checkmark	~	~	\checkmark
CO 2	~	√	~	~	\checkmark
CO 3	~	√	~	~	\checkmark